

# Smart TRB:

## An Incentive Compatible Consensus Protocol Utilizing Smart Contracts

Abhiram Kothapalli, Prof. Andrew Miller, Prof. Nikita Borisov



### ABSTRACT

- Previous work does not properly address incentive compatibility
- Propose a modified Dolev-Strong consensus algorithm that is incentive compatible for rational players
- Nodes follow protocol then report to a smart contract which dispenses rewards
- More efficient alternative to blockchain based consensus for smaller networks

### PROTOCOL DESCRIPTION

#### Client Protocol

- Send request to node participating in consensus
- Later request output from any node
- Check that output contains leader signature

#### Algorithm 1 Client Protocol

```
1:  $N \leftarrow \text{smartContract}_N$ 
2: send input to  $q \in N$  ▷ wait after this step
3:  $i \leftarrow 0$ 
4:  $\text{result} \leftarrow \emptyset$ 
5: while result does not contain  $q_{\text{signature}}$  do
6:    $\text{result} \leftarrow \text{Node}_i \text{outputs}$ 
7:    $i \leftarrow i + 1$ 
```

#### Node Protocol

- Accepts requests from clients
- Runs a modified Dolev-Strong protocol for  $K$  rounds
  - *Predictable communication pattern*: Each node is required to send two messages to every other node each round. (acceptable message seq)
  - *Node status*: Each node maintains every other node as “good” or “bad”. A node labels nodes that don’t follow the acceptable message seq “bad”
- Nodes send final enemy report to smart contract after  $K$  rounds of Dolev-Strong are complete

#### Algorithm 2 Node Protocol for arbitrary node $p$ numbered $p_i$

```
1: register with smart contract
2:  $\text{outputs} \leftarrow []$ 
3:  $\text{queue} \leftarrow []$ 
4:  $\text{bad} \leftarrow \{\}$ 
5: in the background:  $\text{queue} \leftarrow \text{queue} + \text{client}_{\text{input}}$ 
6: in the background: if client requests output, send  $\text{outputs}$  to client
7: while  $i < K$  do
8:   run Dolev-Strong with the following modifications:
9:   if  $i \bmod N = p_i$  then
10:     propose element from  $\text{queue}$  ▷  $p$  is the leader
11:   for all  $q \in N - \{p\}$  do
12:     if  $q \in \text{bad}$  then
13:        $p$  does not forward messages to  $q$ 
14:     if  $\text{messages}_q \notin \text{AcceptableMessageSequence}$  then
15:        $\text{bad} = \text{bad} + q$ 
16:    $\text{outputs}[i] = \text{DSprotocol}_{\text{output}}$ 
17:    $\text{queue} = \text{queue} - \text{outputs}[i]$ 
18:    $i \leftarrow i + 1$ 
```

#### Smart Contract Protocol

- Receives reports from all  $N$  nodes
- Receives total endowment  $E$
- Set reward for each player  $E/N$
- For every node  $p, q$  if  $p$ 's label of  $q$  is not equal to  $q$ 's label of  $p$ ,  $p$ 's reward is reduced by some fixed constant  $\theta$
- Dispenses rewards to nodes

#### Algorithm 3 Smart Contract Protocol

```
Ensure: receives report  $R_p$  for all  $p \in N$ 
Ensure: receives endowment  $E > N^2 * \theta$ 
1: for all  $p \in N$  do
2:    $\text{reward}_p \leftarrow E/N$ 
3:   for all  $q \in N - \{p\}$  do
4:     if  $R_{pq} \neq R_{qp}$  then
5:        $\text{reward}_p \leftarrow \text{reward}_p - \theta$ 
6:   distribute  $\text{reward}_p$  to  $p$ 
```

### BOUNDING REPORT COST, $\theta$

- Under the assumption that node  $p$  will attempt to maximize its worst case utility

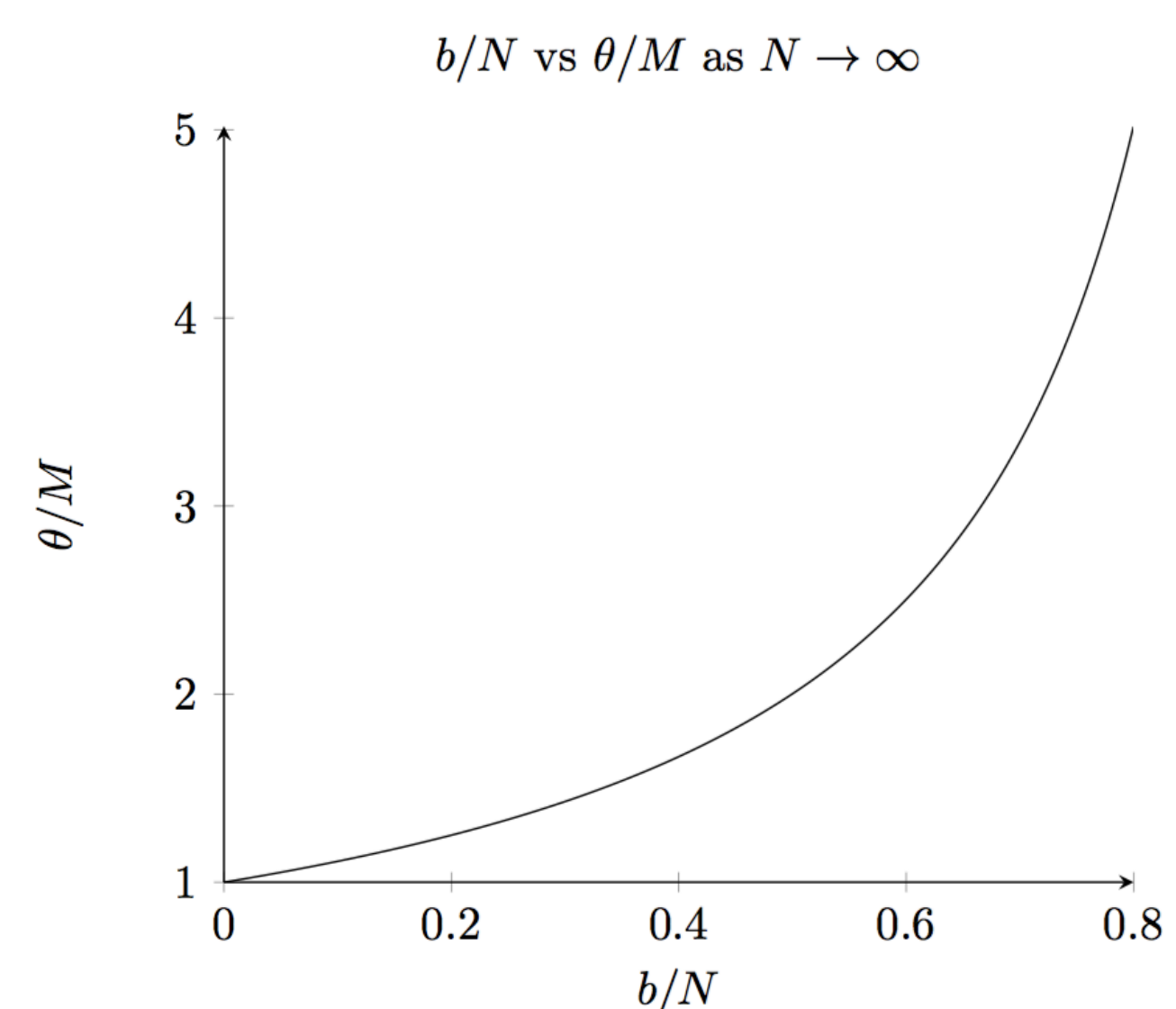
Because  $p$  will attempt to maximize its worst case utility, we consider the case in which all  $q \in N - \{p\}$  is playing the spiteful strategy, in which  $q$  appears good to  $p$  but  $R_{pq} \neq R_{qp}$ .

Strategy  $\sigma_1$ : Player  $p$  sends messages to every  $q \in N - \{p\}$

Strategy  $\sigma_2$ : Player  $p$  randomly sends messages to  $n\%$  of  $q \in N - \{p\}$

In order for  $p$  to always pick  $\sigma_2$  we want:

$$\begin{aligned} \text{Cost}(\sigma_1) &\leq \text{Cost}(\sigma_2) \\ (N-1) * M + b * \theta &\leq (b + (N-1-b) * (n\%)) * \theta + (N-1) * (1-n\%) * M \\ (N-1) * n\% * M &\leq (N-1-b) * n\% * \theta \\ \frac{N-1}{N-1-b} M &\leq \theta \end{aligned}$$



### CONCLUSION

- Studied the proper methodology to create, and rigorously prove the safety of BAR tolerant protocols
- Created and described our protocol from a game theory perspective to account for rational nodes
- Proved that our protocol is incentive compatible (therefore a Nash equilibrium)
- Argued why our protocol is an efficient alternative to fully blockchain based consensus algorithm