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Quantifying excess fuel consumption for pavement design and maintenance decisions

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Pavement LCA 2017

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Key Drivers of Excess Fuel Consumption

Surface condition:

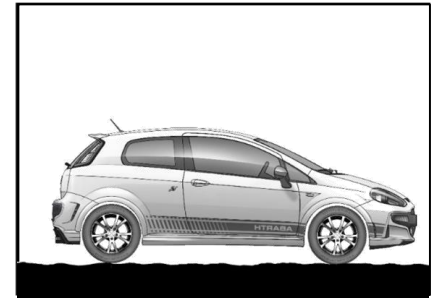
1. Texture-induced PVI*:

- Mechanism: dissipation in tire
- Parameters: vehicle type, pavement texture



2. Roughness-induced PVI*:

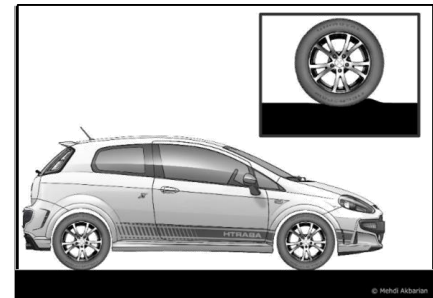
- Mechanism: dissipation in suspension
- Parameters: vehicle type, pavement roughness.



Structural properties:

3. Deflection/dissipation-induced PVI**:

- Mechanism: dissipation in pavement
- Parameters: vehicle type, speed, pavement viscoelasticity, stiffness, thickness, temperature



*Zaabar, I., Chatti, K. 2010. Calibration of HDM-4 Models for Estimating the Effect of Pavement Roughness on Fuel Consumption for U.S. Conditions. Transportation Research Record: **Journal of the Transportation Research Board**, No. 2155. Pages 105-116.

** Akbarian M., Moeini S.S., Ulm F-J, Nazzal M. 2012. Mechanistic Approach to Pavement-Vehicle Interaction and Its Impact on Life-Cycle Assessment. Transportation Research Record: **Journal of the Transportation Research Board**, No. 2306. Pages 171-179.

Pavement-induced fuel consumption research

Deflection Induced PVI

Roughness Induced PVI

Probabilistic PVI Implementation

Key research findings

We can quantify excess fuel consumption due to pavement-vehicle interaction

Probabilistic analysis provides useful estimates even with limited data

Surface and structure matter

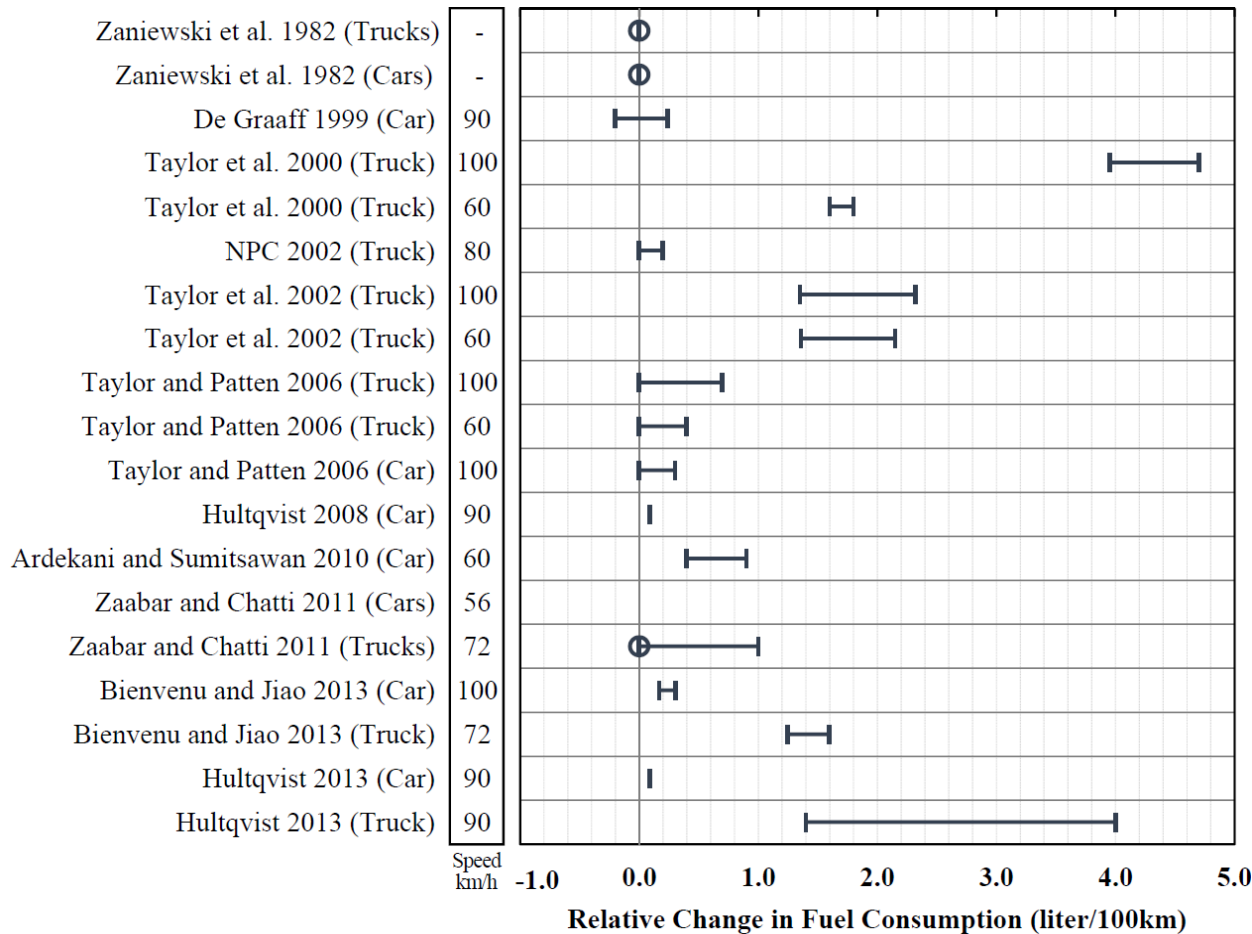
Pavement-induced fuel consumption research

Deflection Induced PVI

Roughness Induced PVI

Probabilistic PVI Implementation

Deflection-induced PVI: empirical studies



Main findings:

- Asphalt is more dissipative than concrete
- Highly influenced by vehicle load, speed, temperature.

Shortcomings:

- High variability in impact
- Binary material view
- No structure and mat.

Deflection-Induced PVI Parameters:

Vehicle load & speed; pavement viscoelasticity, thickness, modulus, temperature

Model

Fuel Consumption

Slide 6

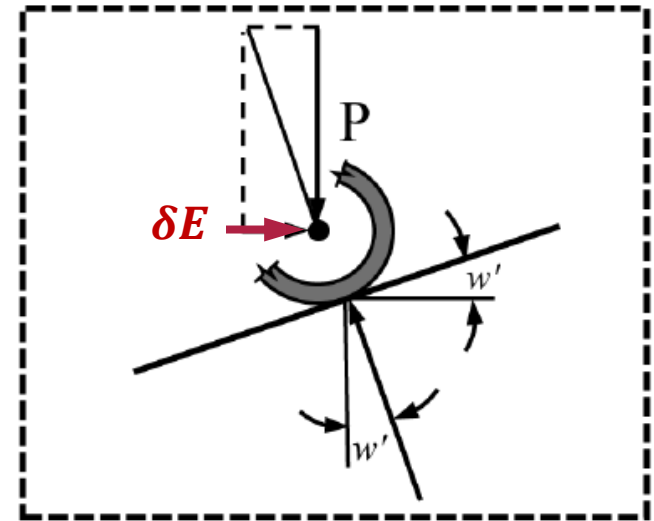
Deflection-Induced PVI: Mechanistic Model

- Dissipated energy due to pavement viscoelasticity results in slope under the wheel and must be compensated by the engine power to maintain a constant speed:

$$\delta E = -P \frac{dw}{dX}$$

- Finding key parameters and invariants via dimensional analysis:

$$\Pi = \frac{\delta E \ell_s^2 b k}{P^2} \frac{c}{c_{cr}} = \mathcal{F} \left(\Pi_1 = \frac{c}{c_{cr}}; \Pi_2 = \frac{\tau c_{cr}}{\ell_s} \right)$$



(Adapted from Flugge, 1975)

Winkler Length $\ell_s = \sqrt[4]{EI/k}$

$$c_{cr} = \ell_s (k/m)^{1/2}$$

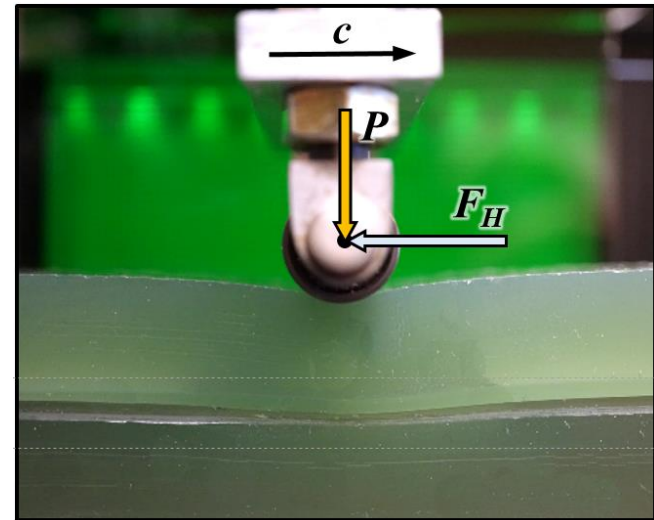
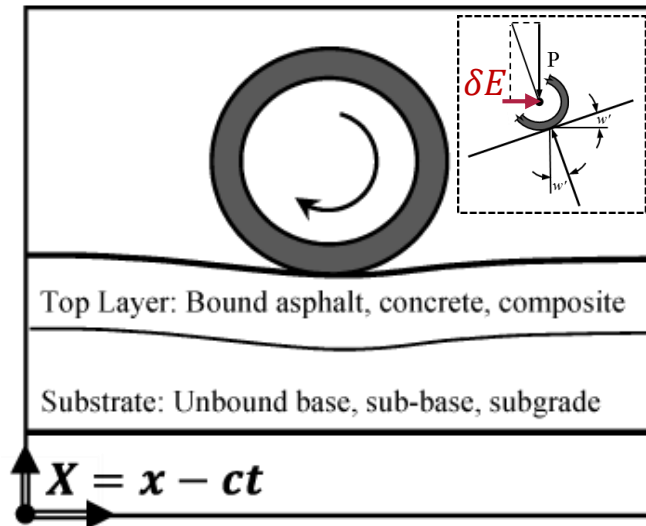
- Scaling relationship of deflection-induced PVI:

$$\delta E \propto (c\tau)^{-1} P^2 E^{-0.25} h^{-0.75} k^{-0.25}$$



c : Speed; τ : Relaxation time; P : Vehicle load; E : Top layer modulus; h : Top layer thickness; k : Subgrade modulus

Recreating the deflection-induced PVI mechanism



$$\delta E = -P \frac{dw}{dX} \geq 0$$

$$F_H = -P \frac{dw}{dX} \geq 0$$

$$\therefore \delta E \propto F_H$$

PVI Parameters:

Vehicle:

F_H : Horizontal Force

P : Wheel load

c : Vehicle speed

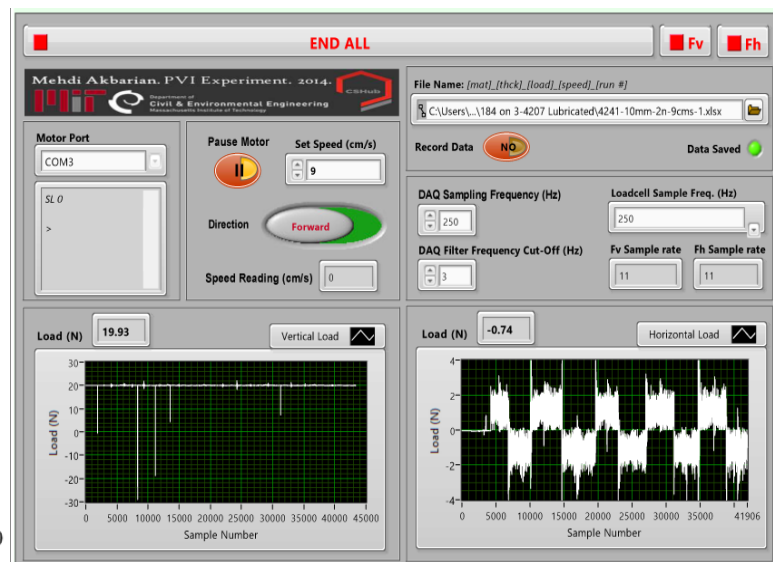
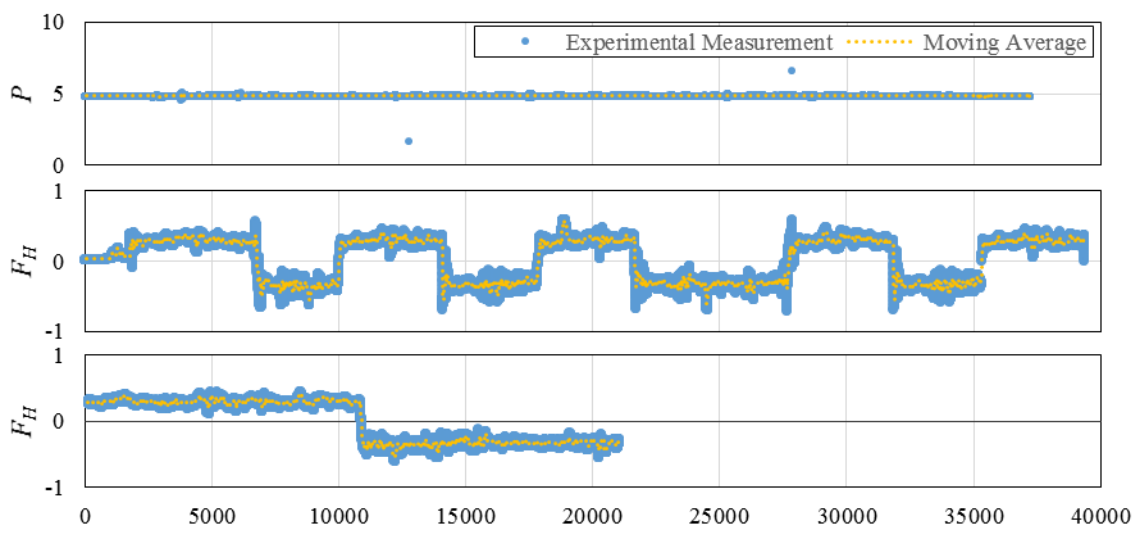
Pavement:

τ : Relaxation time

h : Top layer thickness

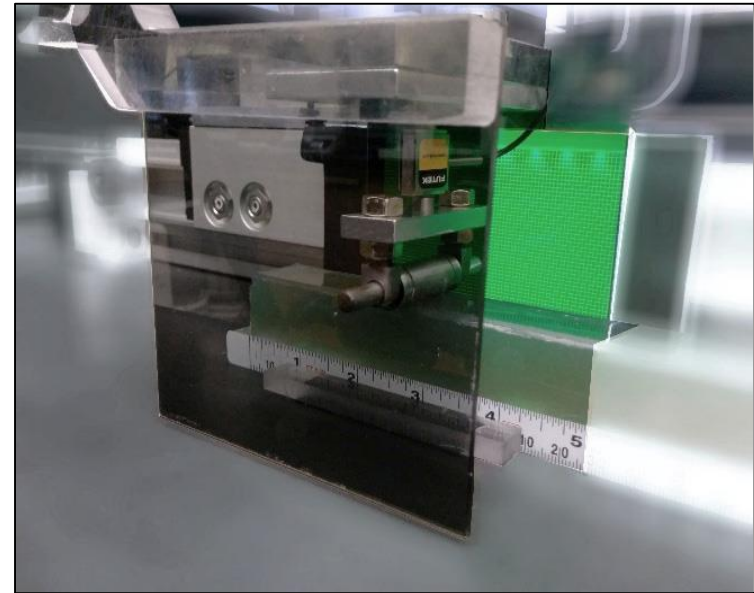
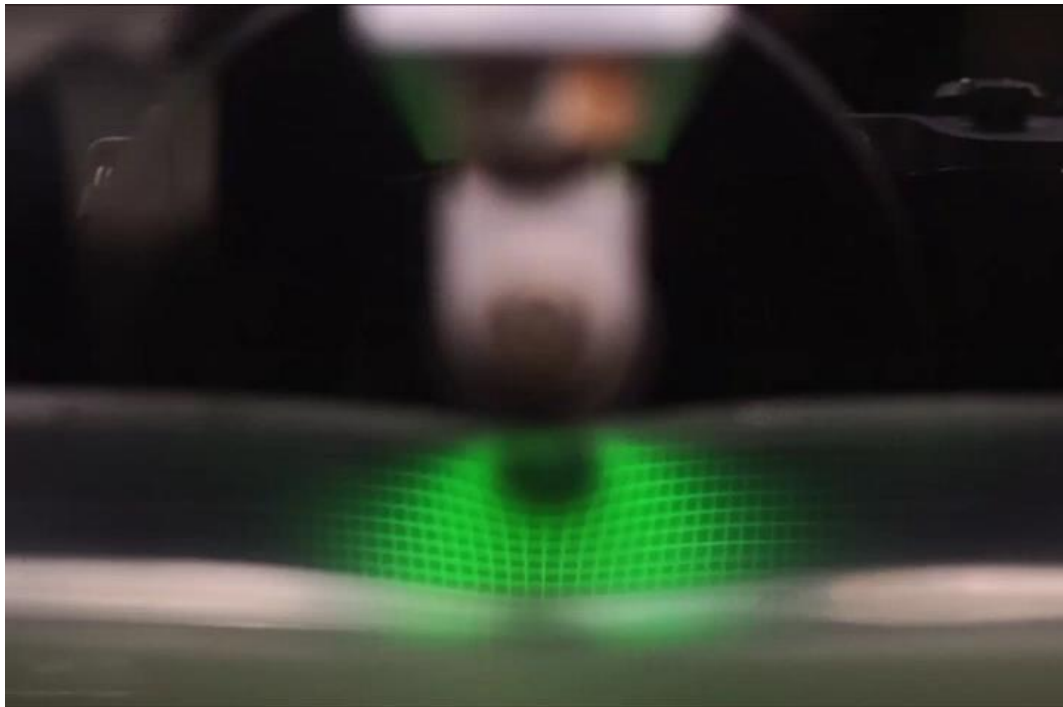
E : Top layer modulus

k : Subgrade modulus

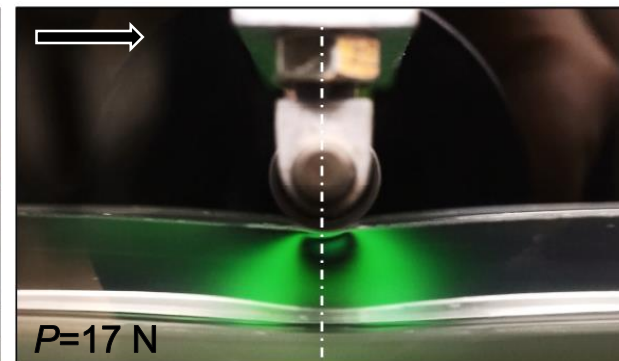
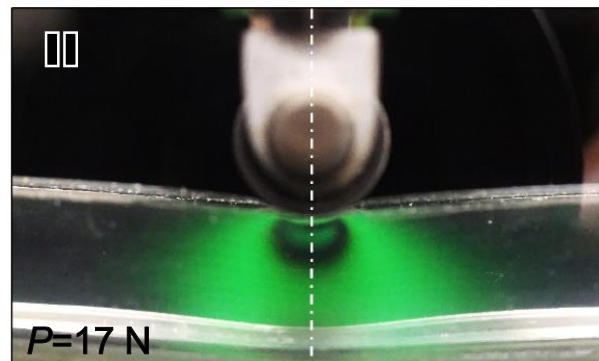
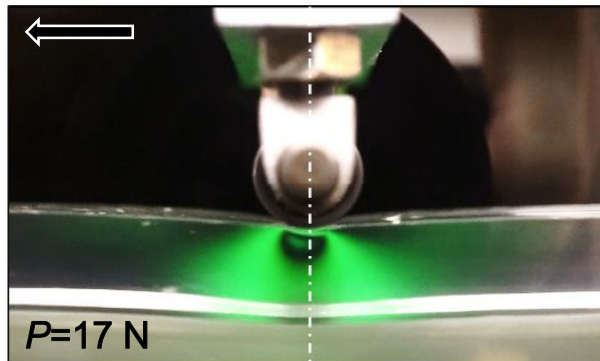


Equivalent to 180 miles of road testing with varying: P , c and τ , E , h

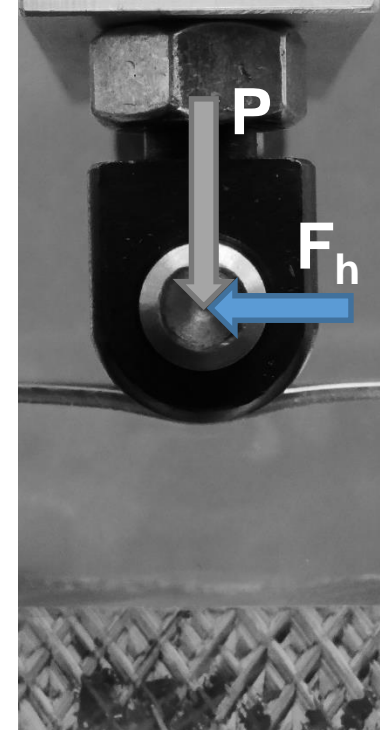
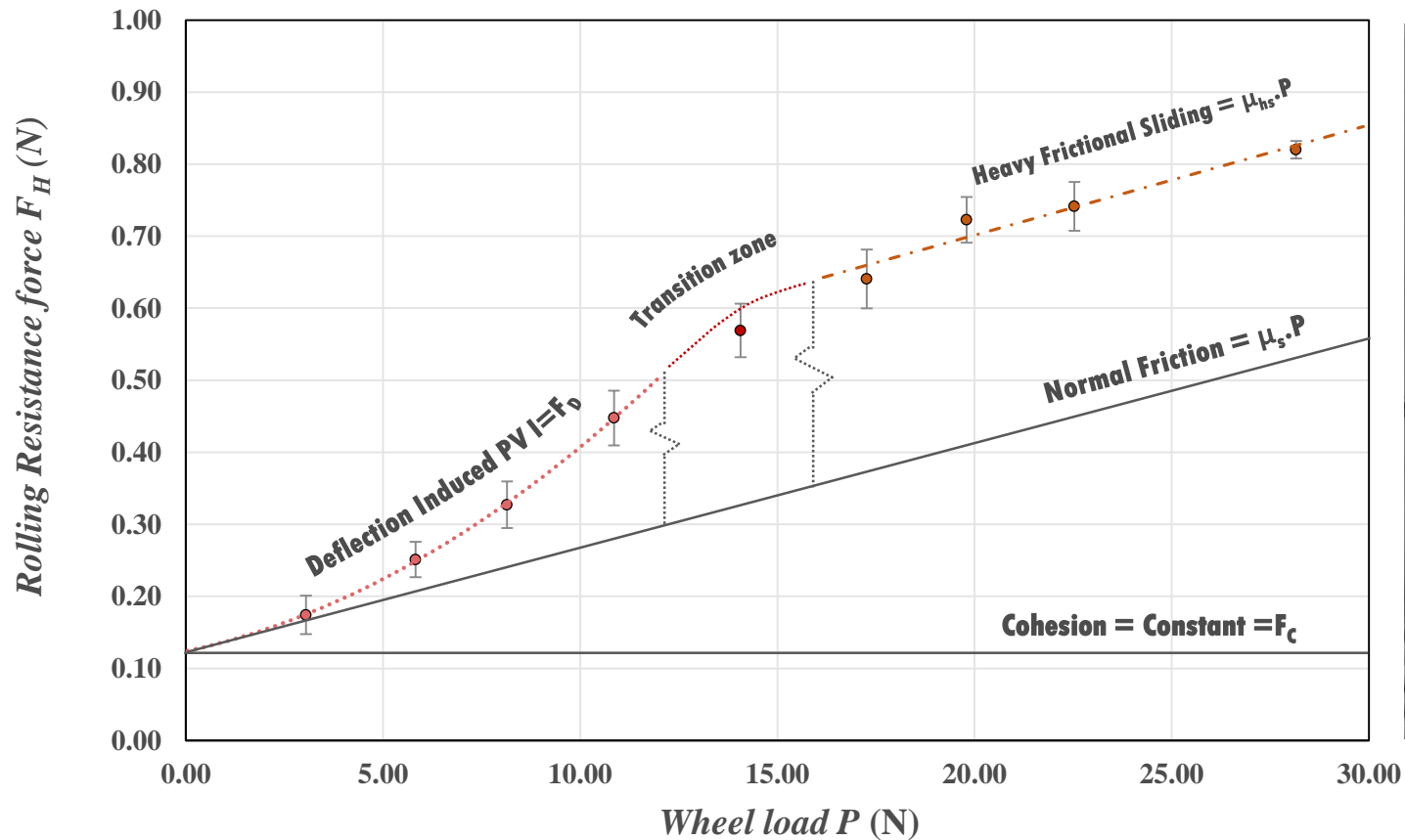
Photo-elasticity: asymmetry of the response



1: Analyzer 3: Wheel 5: Green Filter
2: Quarter Wave-Plate 4: Polarizer 6: Light Source



Experiments validate model behavior



Mechanistic model scaling: $\delta E \propto (c\tau)^{-1} P^2 E^{-0.25} h^{-0.75} k^{-0.25}$

Experimental validation: $\delta E \propto (c)^{-0.87} P^{2.02} h^{-0.63}$

c : vehicle speed; P : vehicle load; h : top layer thickness

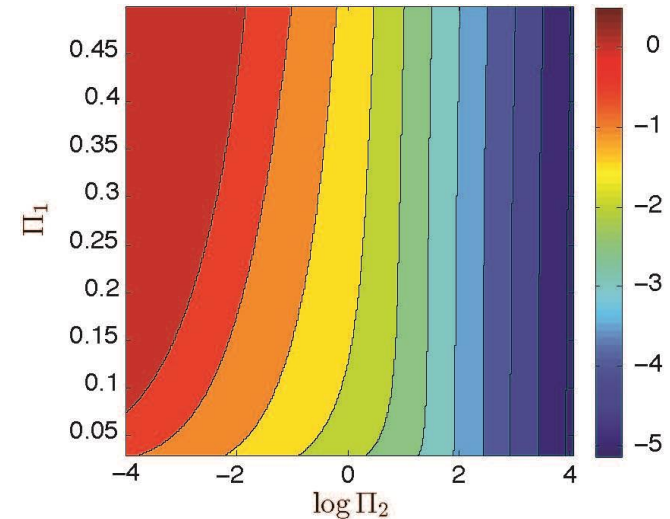


PVI deflection implementation-ready model

Dimensionless dissipation (simulation):

$$\Pi = \frac{\delta E \ell_s^2 b k}{P^2} \frac{c}{c_{cr}} = \mathcal{F} \left(\Pi_1 = \frac{c}{c_{cr}}; \Pi_2 = \frac{\tau c_{cr}}{\ell_s} \right)$$

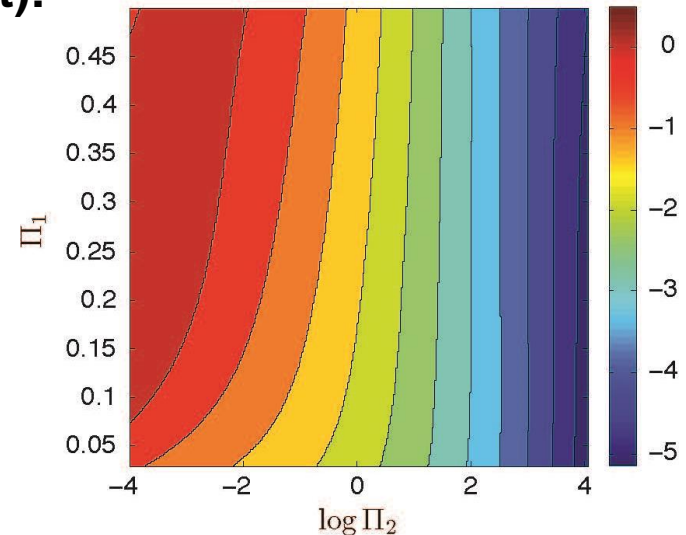
Winkler Length $\ell_s = \sqrt[4]{EI/k}$ $c_{cr} = \ell_s(k/m)^{1/2}$



Dimensionless dissipation (simplified model fit):

$$\log_{10}(\Pi) = \log_{10} \frac{\delta E c \ell_s^2 b k}{P^2 c_{cr}} = \sum_{i=0}^{i=5} \sum_{j=0}^{j=3} p_{ij} \Pi_1^i \times \log_{10}(\Pi_2)^{j*}$$

Winkler Length $\ell_s = \sqrt[4]{EI/k}$ $c_{cr} = \ell_s(k/m)^{1/2}$



* Mechanistic Approach to Pavement-Vehicle Interaction and Its Impact in LCA - *Journal of the Transportation Research Board*. 2014.

Pavement-induced fuel consumption research

Deflection Induced PVI

Roughness Induced PVI

Probabilistic PVI Implementation

Roughness-Induced PVI: Mechanistic Model

- Dissipated energy in suspension due to roughness must be compensated by the engine power to maintain a constant speed:

$$E[\delta E] = \frac{C_s E[\dot{z}^2]}{V} \quad ; \quad \dot{z} = \frac{c}{\sqrt{2/\pi}} E[IRI]$$

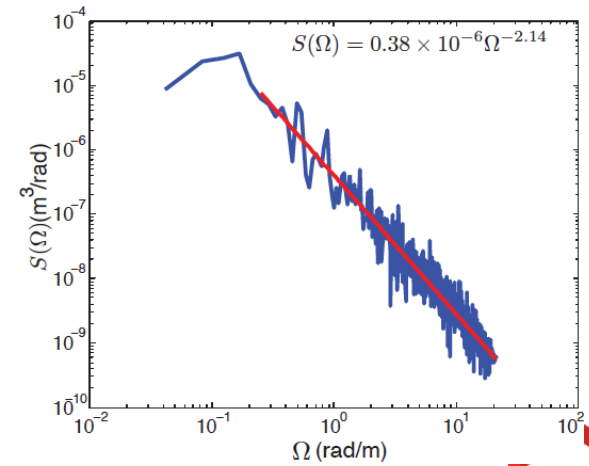
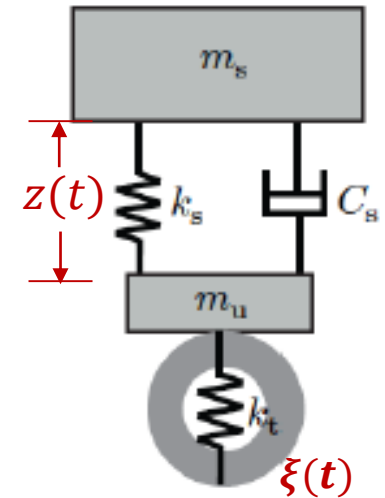
- Finding key parameters and invariants via dimensional analysis

$$\Pi = \frac{\delta E}{m_s \omega_s^{4-w} V^{w-2} c}$$

$$= F \left(\Pi_1 = \frac{m_u}{m_s} = \gamma, \Pi_2 = \frac{\omega_u}{\omega_s} = \beta, \Pi_3 = \frac{C_s}{2\omega_s m_s} = \zeta \right)$$

- Scaling relationship of roughness-induced PVI:

$$E[\delta E] \sim E[IRI]^2 V^{w-2}$$



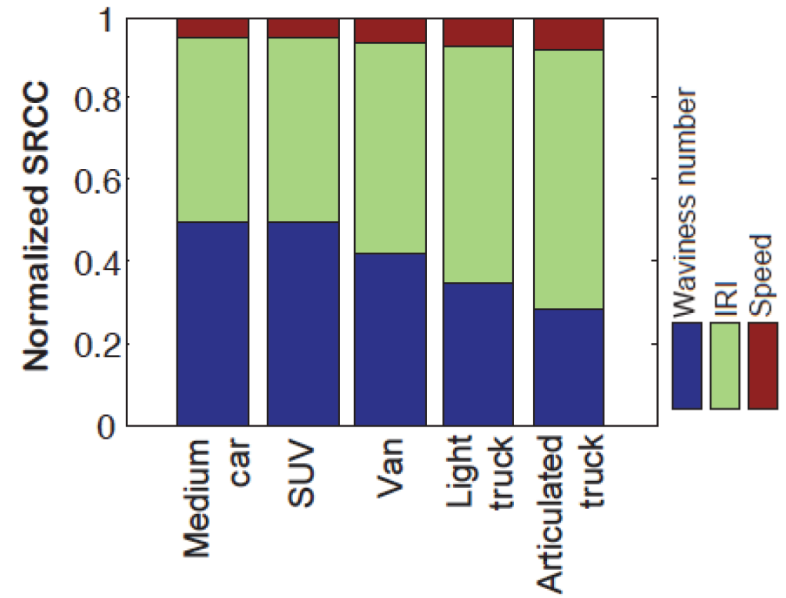
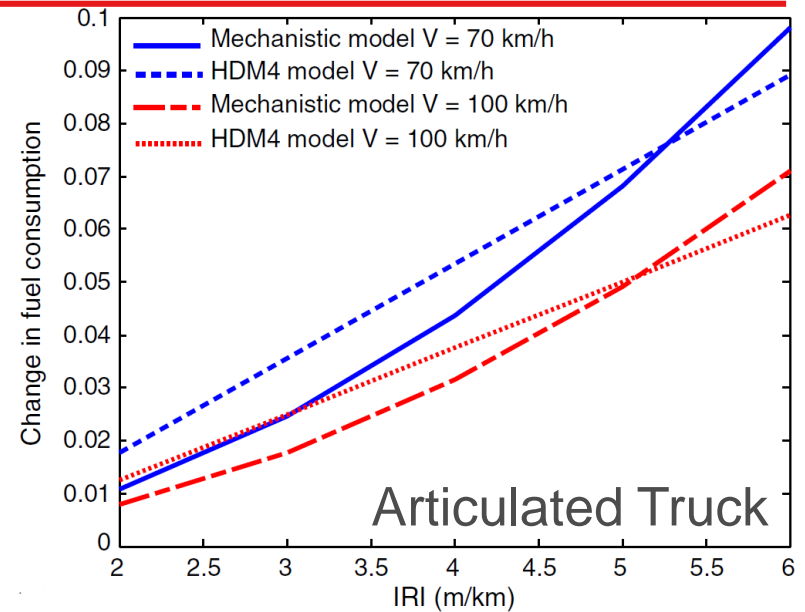
Mechanistic roughness model calibrated with HDM-4

- Mechanistic Model:
 - Two parameter model: IRI and w
 - Quadratic relationship with IRI
 - Dynamic interaction

$$E[\delta E] \sim E[IRI]^2 V^{w-2}$$

- HDM-4:
 - One parameter model: IRI ($w=2$)
 - Linear relationship with IRI
 - Vehicle speed dependency

$$E[\delta E] \sim E[IRI]$$



*Zaabar, I., Chatti, K. 2010. Calibration of HDM-4 Models for Estimating the Effect of Pavement Roughness on Fuel Consumption for U.S. Conditions. Transportation Research Record: **Journal of the Transportation Research Board**, No. 2155. Pages 105-116.

Pavement-induced fuel consumption research

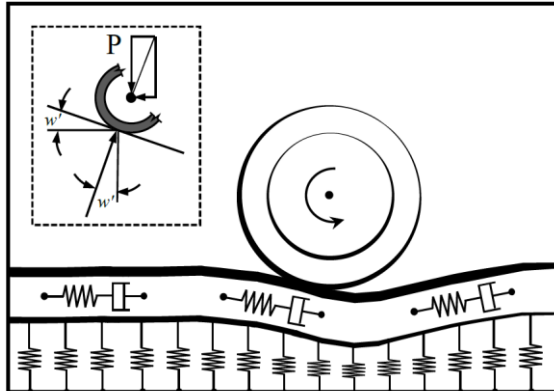
Deflection Induced PVI

Roughness Induced PVI

Probabilistic PVI Implementation

PVI Model Inputs and Uncertainties

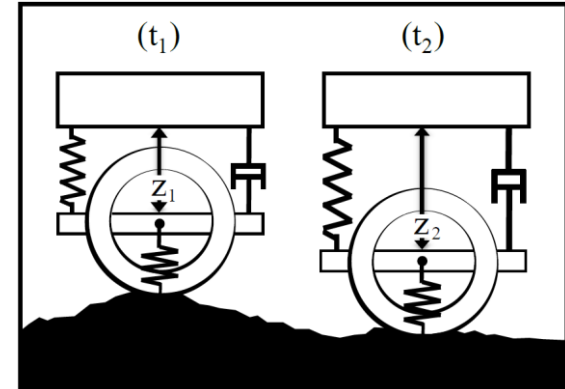
Deflection-induced PVI



Input:

- 1: Top layer modulus
- 2: Top layer thickness
- 3: Top layer relaxation time (AC/PCC)
- 4: Subgrade modulus
- 5: Vehicle load
- 6: Vehicle speed
- 7: Temperature

Roughness-induced PVI



Input:

- 1: IRI(t)
- 2: Reference IRI₀
- 3: Vehicle type
- 4: Vehicle speed

Probabilistic deflection model implementation with limited data

1- Top layer modulus:
LTPP distributions for similar
material and traffic condition.

2- Top layer thickness:
LTPP distributions for similar
material and traffic condition.

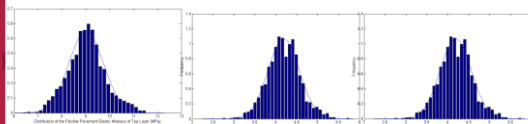
3- Subgrade modulus:
LTPP distributions for similar
regional condition.



Long Term Pavement Performance
(LTPP) Program Climate Zones

Monte Carlo Procedure:

LTPP Distributions

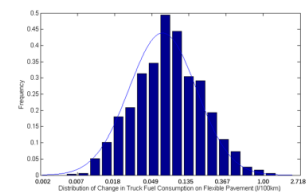


$E (\mu, \sigma)$ $h (\mu, \sigma)$ $k (\mu, \sigma)$

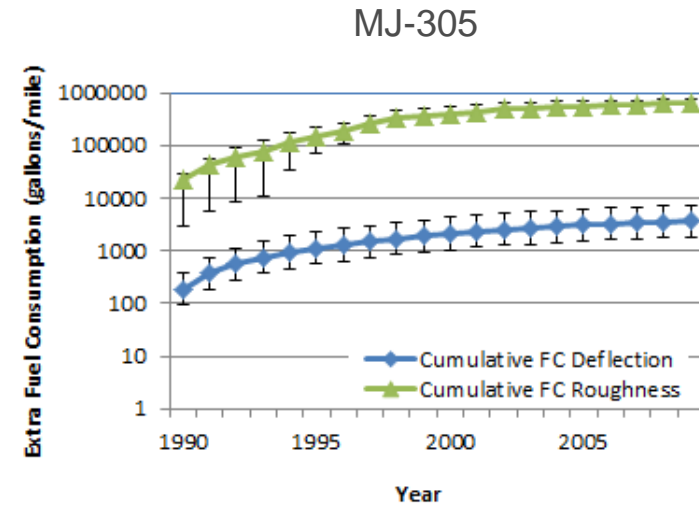
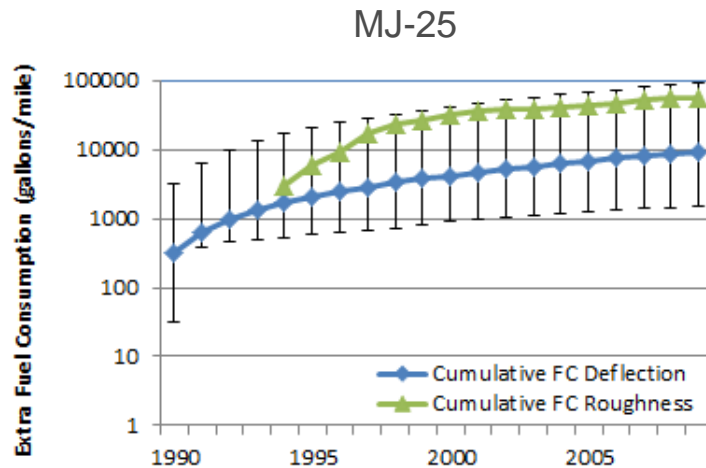
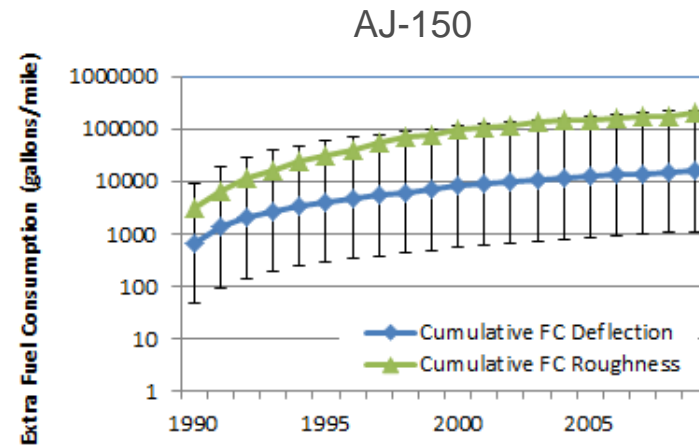
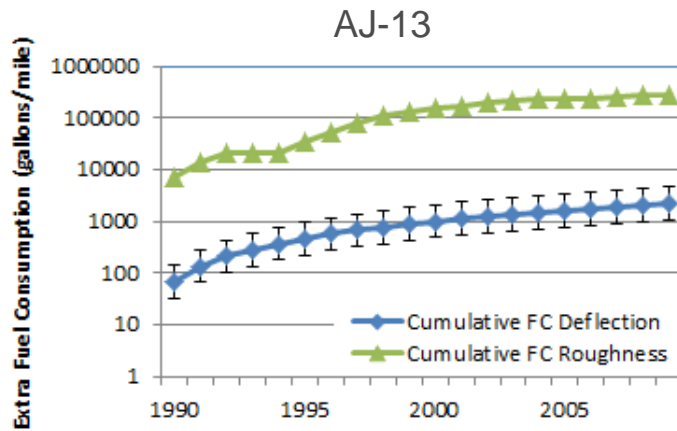
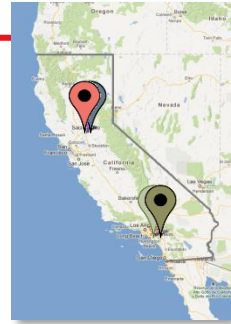
Sample Data

Calculate
Fuel Consumption
per PM of Section

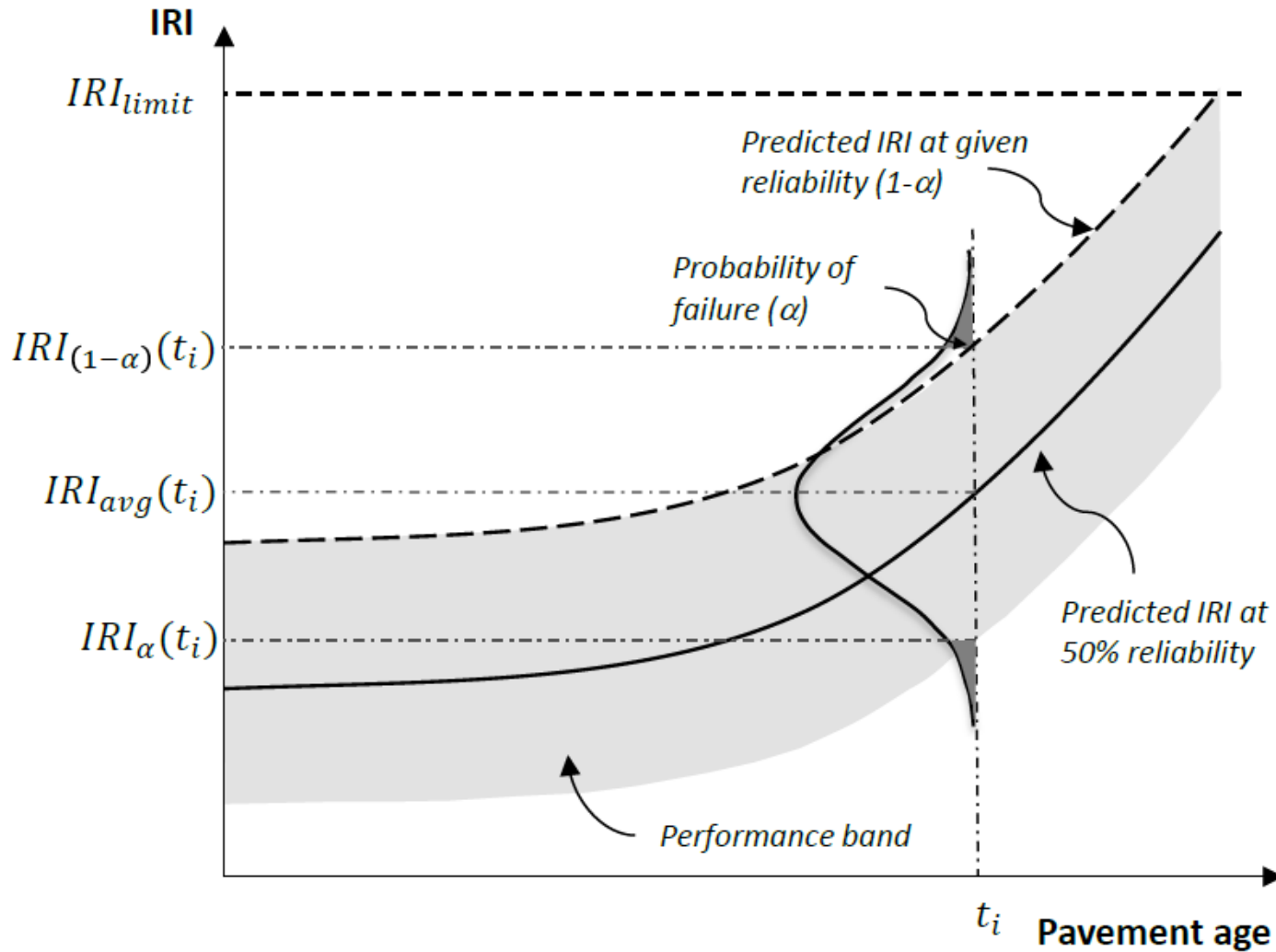
PVI Deflection
Fuel Consumption



Probabilistic PVI implementation with limited data



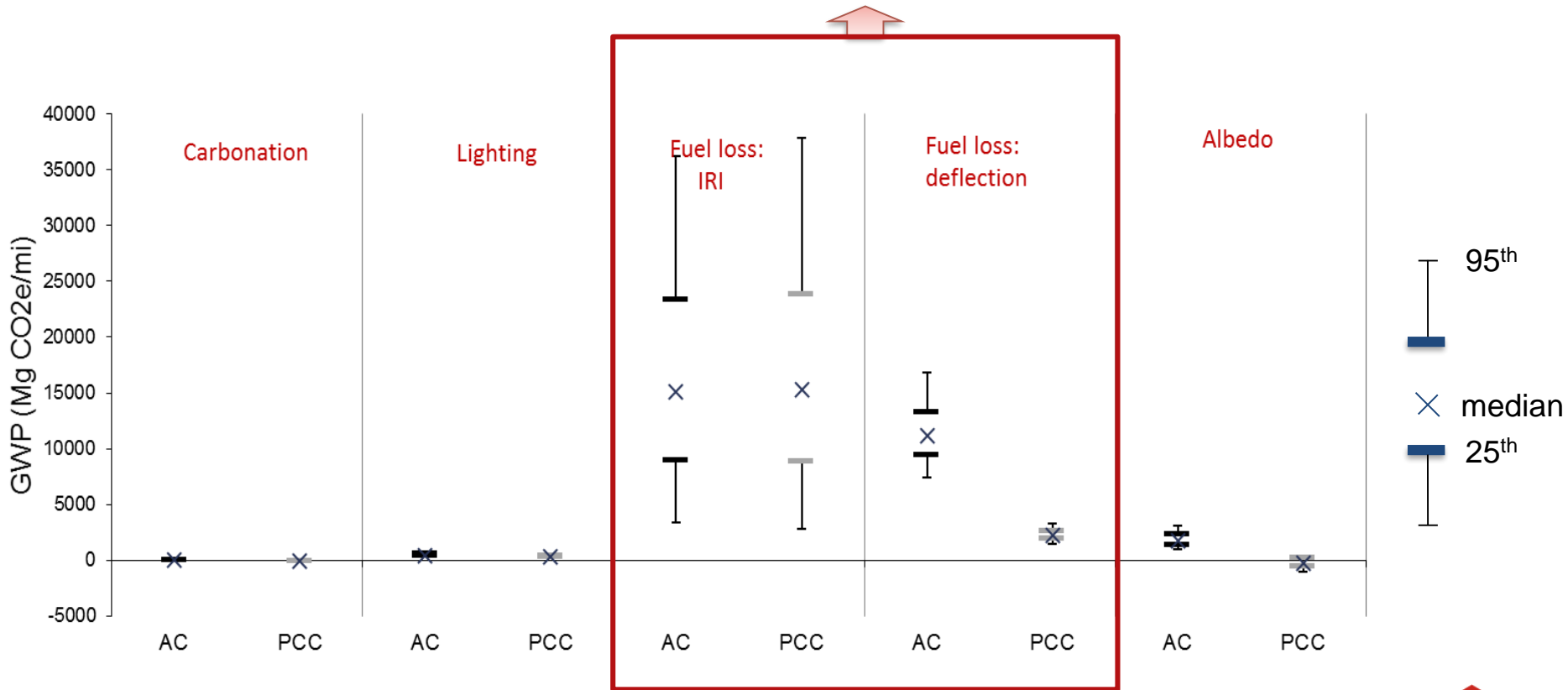
Probabilistic roughness model implementation with MEPDG



Probabilistic PVI implementation with MEPDG

AZ case study: contributions of use phase components

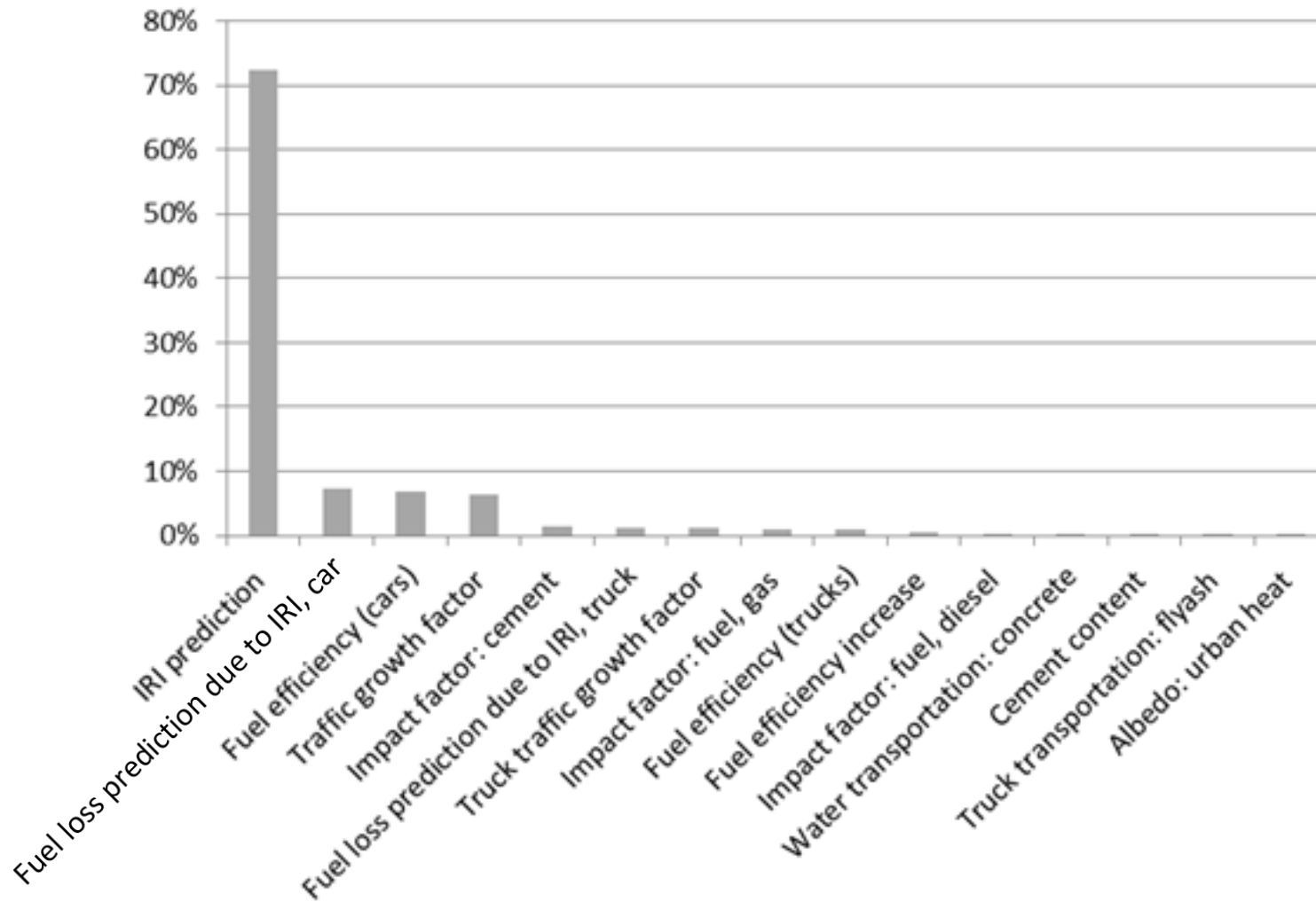
Fuel consumption dominates use phase



Identifying drivers of PVI uncertainty - MEPDG

AZ case study: contributions of use phase components

Contribution to variance for GWP



Key research findings

We can quantify excess fuel consumption due to pavement-vehicle interaction

Probabilistic analysis provides useful estimates even with limited data

Surface and structure matter



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Thank you

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