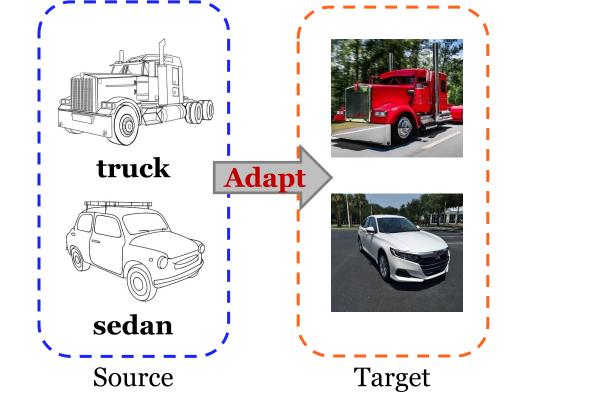
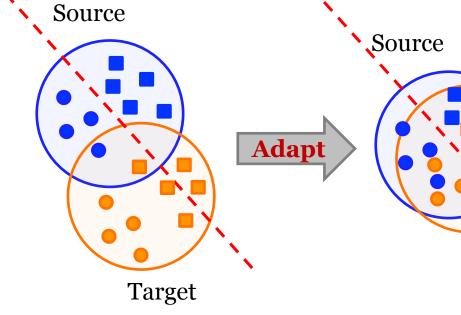


Domain Adaptation with Dynamic Open-Set Targets

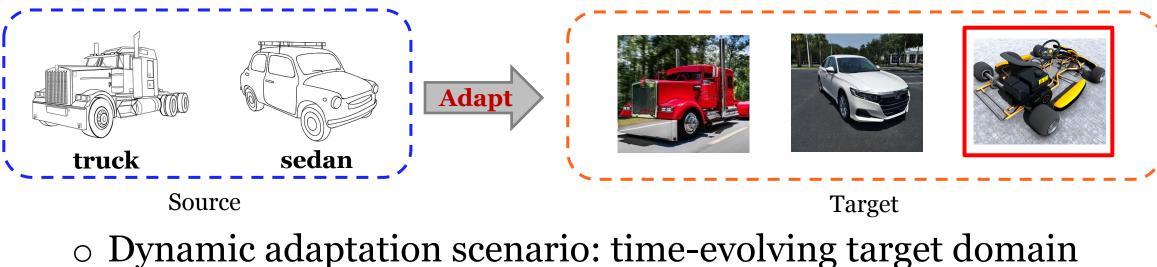
Background

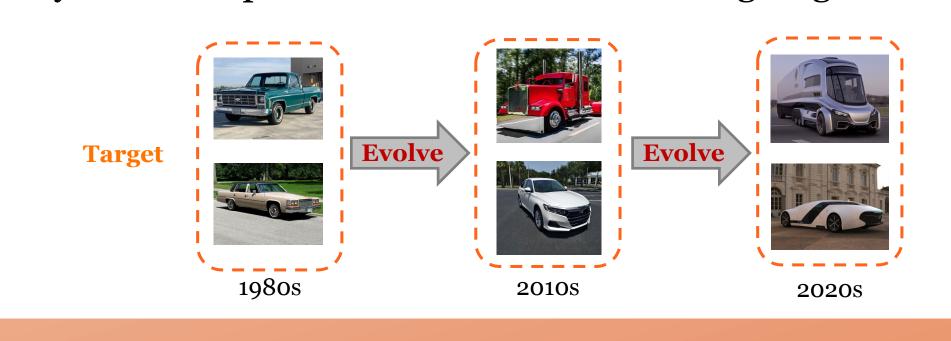
Unsupervised domain adaptation





- □ Limitations in some real-world scenarios
 - Open-set scenario: "unknown" category in the target domain

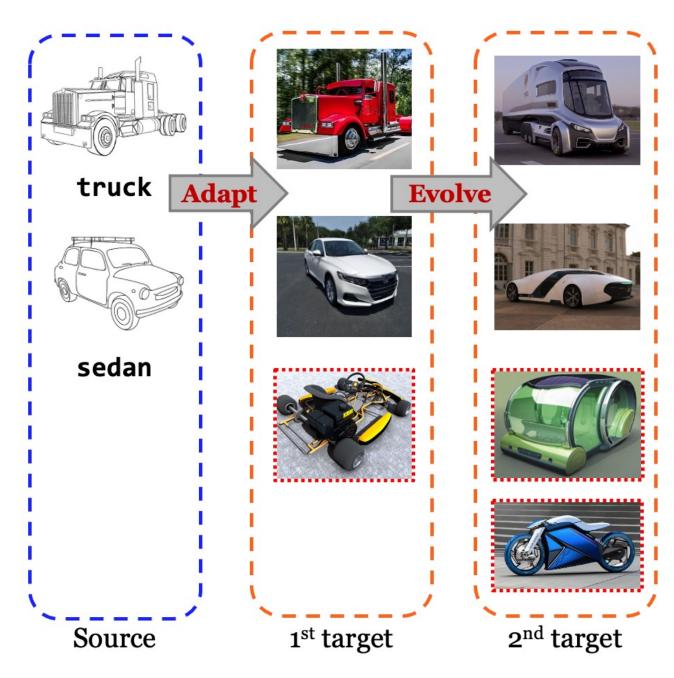




Problem Definition

Dynamic open-set domain adaptation

- Given: (1) A static source domain (fully labeled); and (2) A time-evolving target domain (unlabeled) with novel unseen classes
- Goal: (1) Classify the data of known classes correctly; (2) Identify the data of unseen classes as "unknown"



- □ Challenges:
 - **Evolving distribution:** The target distribution is evolving
 - Varying class proportions: The ratio of known target examples changes

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Theoretical Analysis

□ Distribution shift under open-set targets • Existing \mathcal{H} -divergence \Rightarrow (b)(c)

$$d_{\mathcal{H}\Delta\mathcal{H}}(\mathbb{Q}_X^s, \mathbb{P}_X^t) = \sup_{\substack{\mathsf{h},\mathsf{h}'\in\mathcal{H}}} \left| \Pr_{\mathbb{Q}_X^s}[B] - \Pr_{\mathbb{P}_X^t}[B] \right| \qquad \overline{\mathfrak{P}}$$

• **Proposed open-set discrepancy** \Rightarrow (a)

 $d_{\mathcal{OS}}(\mathbb{Q}^{s},\mathbb{P}^{t}) = d_{\mathcal{C}}(\mathbb{Q}^{s},\mathbb{P}^{t}_{\leq C}) - \rho \cdot d_{\mathcal{H}\Delta\mathcal{H}}(\mathbb{Q}^{s}_{X},\mathbb{P}^{t}_{X|Y=C+1})$

PU-learning under open-set targets

- Positive: source examples (*C* shared classes)
- Unlabeled: target examples (*C* shared classes or "unknown" class) • Specially, if there is no distribution shift,

$$\epsilon_t(h) = (1 - \pi_{C+1}^t) \cdot \epsilon_s(h) + \mathbb{E}_{x \sim \mathbb{P}_X^t} [L(h(x), y = C + 1)]$$

$$\pi_{C+1}^t = \mathbb{P}^t (y = C + 1)$$

Positive-u

\Box Error upper bound on $\epsilon_{t_{N+1}}(h)$

- Classification error on historical task
- Learn class membership on shared classes • Open-set distribution discrepancy $d_{OS}(\cdot, \cdot)$
- Measure distribution shift
- \circ PU-learning based open-set risk Δ_{PU} - Identify the "unknown" class in the target domain

Theorem 1: Assume that the loss function $L(\cdot, \cdot)$ is bounded, i.e., $|L(\cdot, \cdot)| \leq M$. For any hypothesis $h \in \mathcal{H}$ and $\sum_{i=0}^{N} \alpha_i = 1$ where $\alpha_i \ge 0$ $(j = 0, 1, \dots, N)$, the expected error $\epsilon_{t_{N+1}}(h)$ of the target task at the $(N+1)^{\text{th}}$ time stamp is bounded as:

$$\epsilon_{t_{N+1}}(h) \leq \left(1 - \pi_{C+1}^{t_{N+1}}\right) \left(\sum_{j=0}^{N} \alpha_{j} \mathbb{E}_{(x,y) \sim \mathbb{P}_{\leq C}^{t_{j}}} [L(h(x), y)] + 4M \sum_{j=0}^{N} \alpha_{j} d_{\mathcal{OS}} \left(\mathbb{P}_{\leq C}^{t_{j}}, \mathbb{P}^{t_{N+1}}\right) \right) + \Delta_{PU} + CONST$$

ere $\Delta_{PU} = \mathbb{E}_{x \sim \mathbb{P}_{X}^{t_{N+1}}} [L(h(x), y = C + 1)] - \left(1 - \pi_{C+1}^{t_{N+1}}\right) \sum_{j=0}^{N} \alpha_{j} \mathbb{E}_{(x,y) \sim \mathbb{P}_{\leq C}^{t_{j}}} [L(h(x), y = C + 1)]$ is the

whe positive-unlabeled open-set risk.

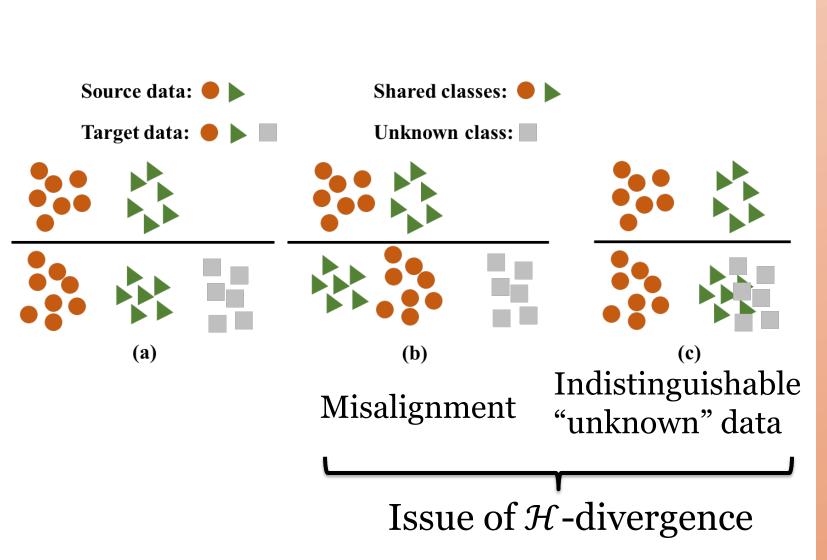
Proposed Algorithm: OuterAdapter

Objective function

• PU loss: Discriminative feature learning under open-set targets

$$\min_{\theta} \sum_{j=0}^{N} \frac{\left(1 - \pi_{C+1}^{t_{N+1}}\right) \alpha_{j}}{n_{t_{j}}} \sum_{i=1}^{n_{t_{j}}} \left(L\left(h\left(x_{t_{j}}^{i}\right), \hat{y}_{t_{j}}^{i}; \theta\right) - L\left(h\left(x_{t_{j}}^{i}\right), y = C + 1; \theta\right) \right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right), y = C + 1; \theta\right) + \frac{1}{m_{t_{N+1}}} \sum_{i=1}^{m_{t_{N+1}}} L\left(h\left(x_{t_{N+1}}^{i}\right$$

• OS-divergence: **Domain-invariant feature learning**

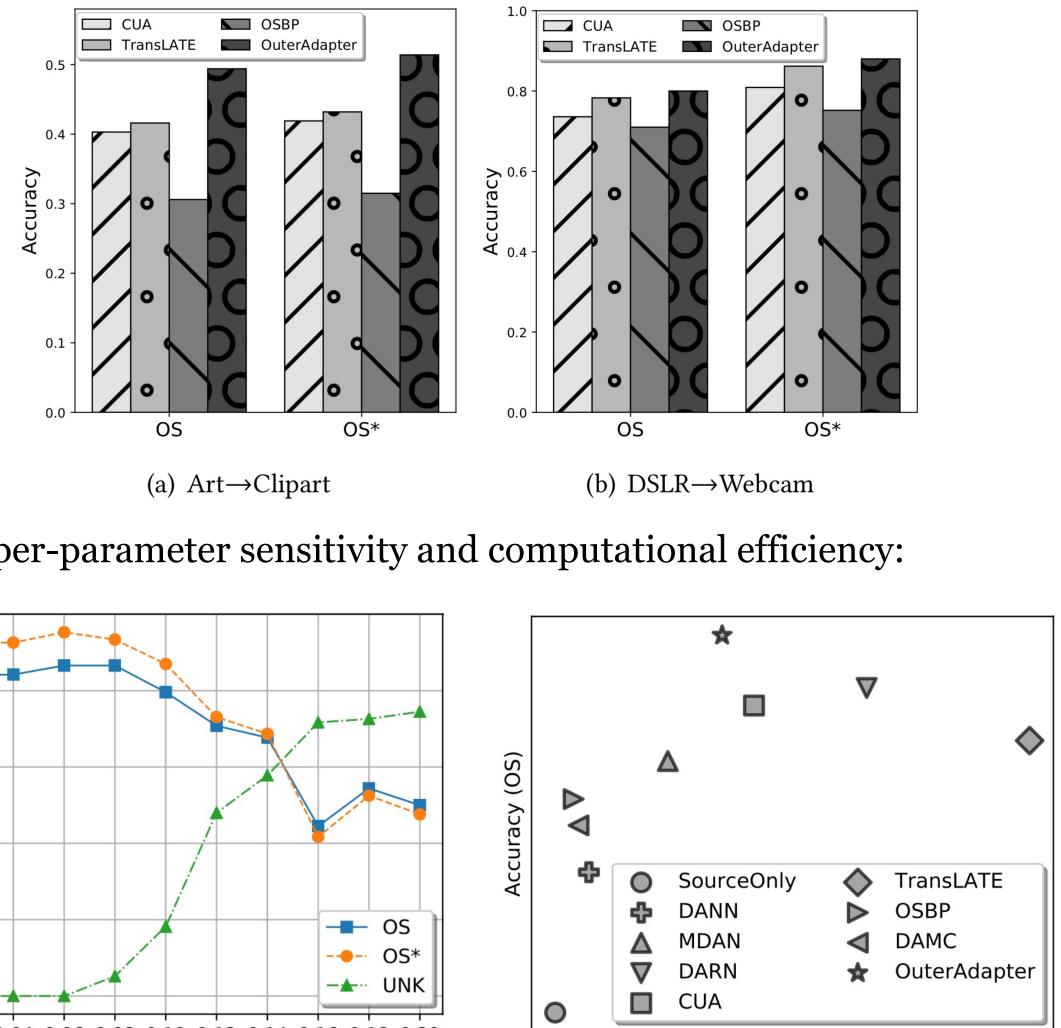


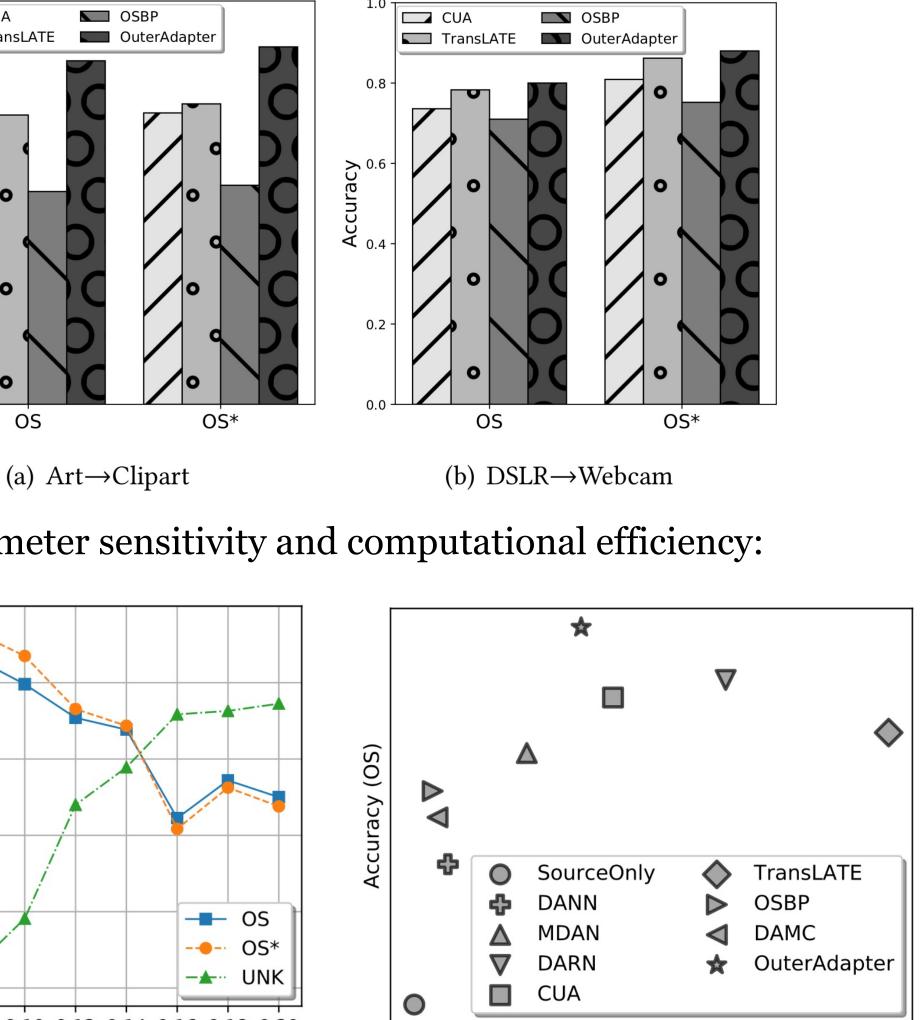
1)] - $(1 - \pi_{C+1}^t) \mathbb{E}_{x \sim \mathbb{Q}_X^t} [L(h(x), y = C + 1)]$

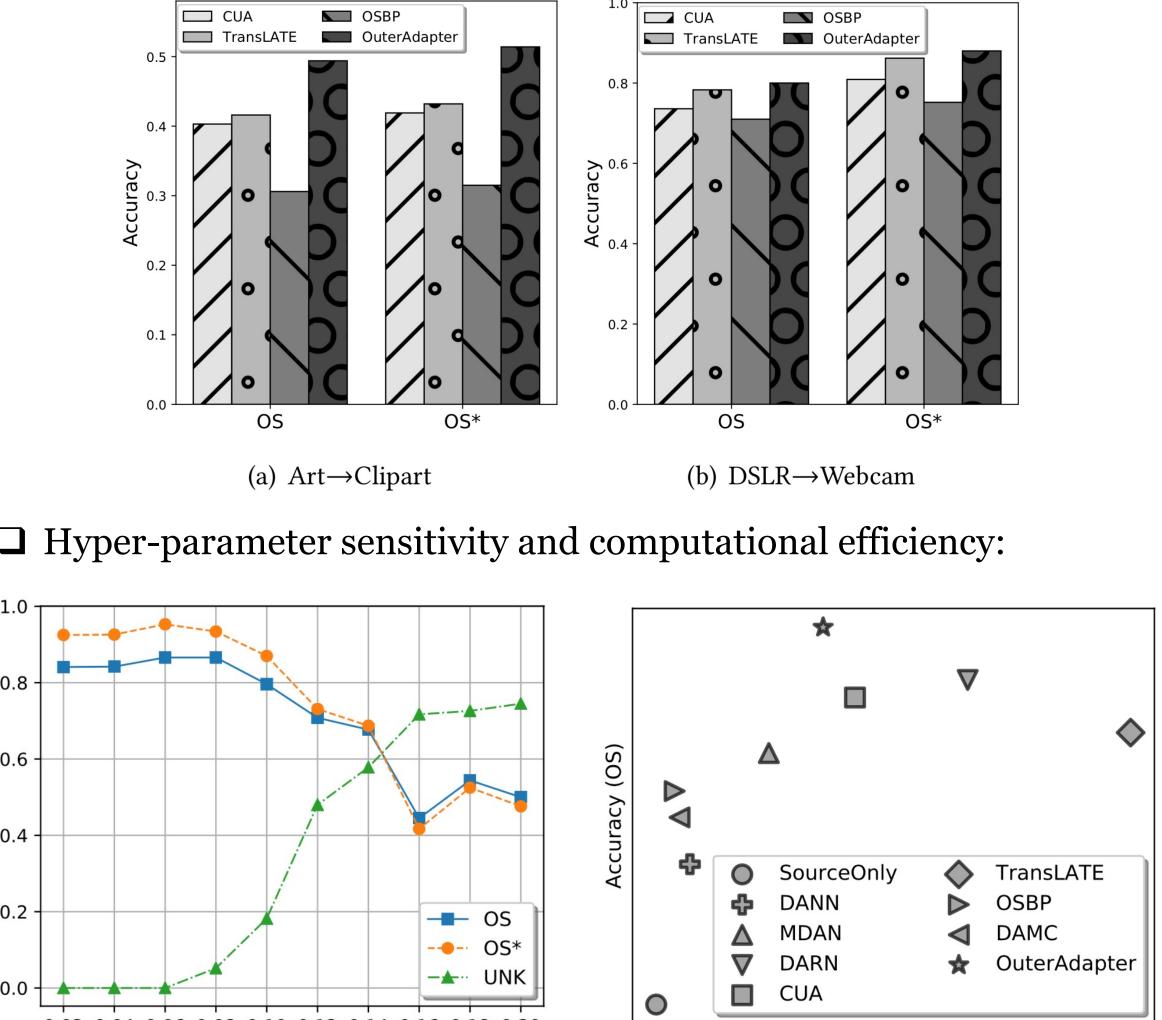
unlabeled open-set risk

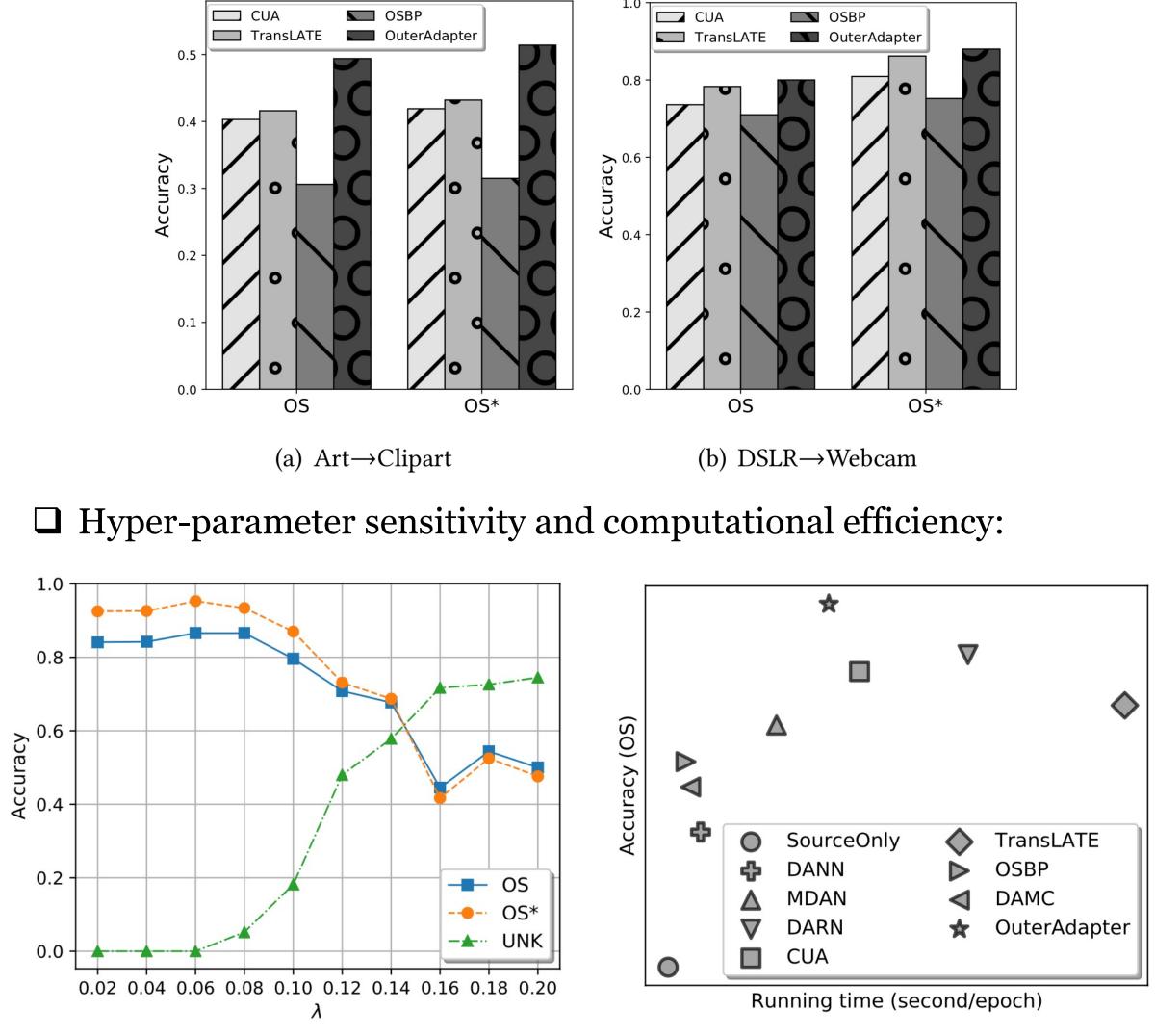
Evaluation

□ Effectiveness:









Conclusion

- is studied where novel unknown classes might appear over time. proposed *OS*-divergence.
- **Problem**: A novel dynamic open-set domain adaptation problem □ **Analysis**: We derive the generalization error bounds based on the
- □ **Algorithm**: A novel PU-learning based algorithm OuterAdapter is proposed to minimize the error upper bound.
- **Evaluation**: Extensive experiments confirm the effectiveness and efficiency of the OuterAdapter algorithm.

Acknowledgments





• **OS**: Average classification accuracy over all the classes • **OS***: Average classification accuracy over all the known classes

This work is supported by National Science Foundation under Award No. IIS-1947203, IIS-2117902, IIS-2137468, and Agriculture and Food Research Initiative (AFRI) grant no. 2020-67021-32799/ project accession no.1024178 from the USDA National Institute of Food and Agriculture. The views and conclusions are those of the authors and should not be interpreted as representing the official policies of the funding agencies or the government.

